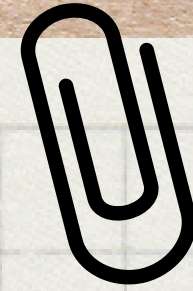


Hrishant Shah

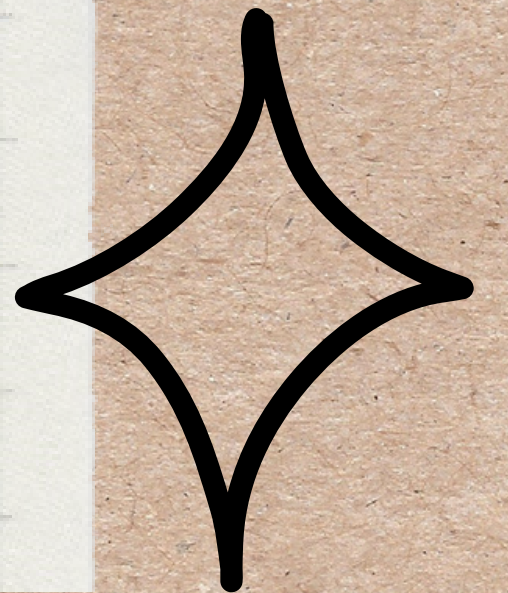
Dhairya Tiwari



Tatsat
Prajapati

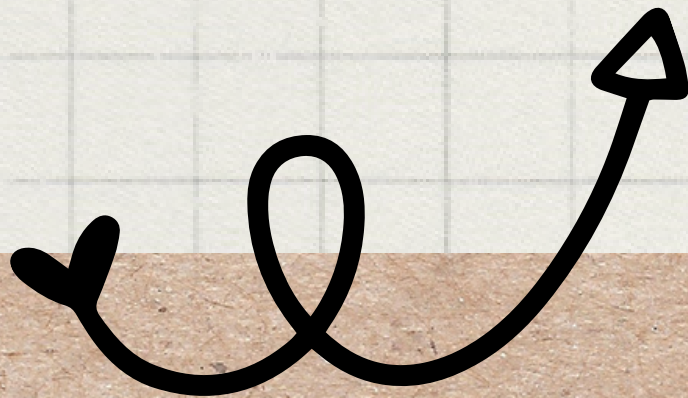
QUADRATIC EQUATION SOLVER

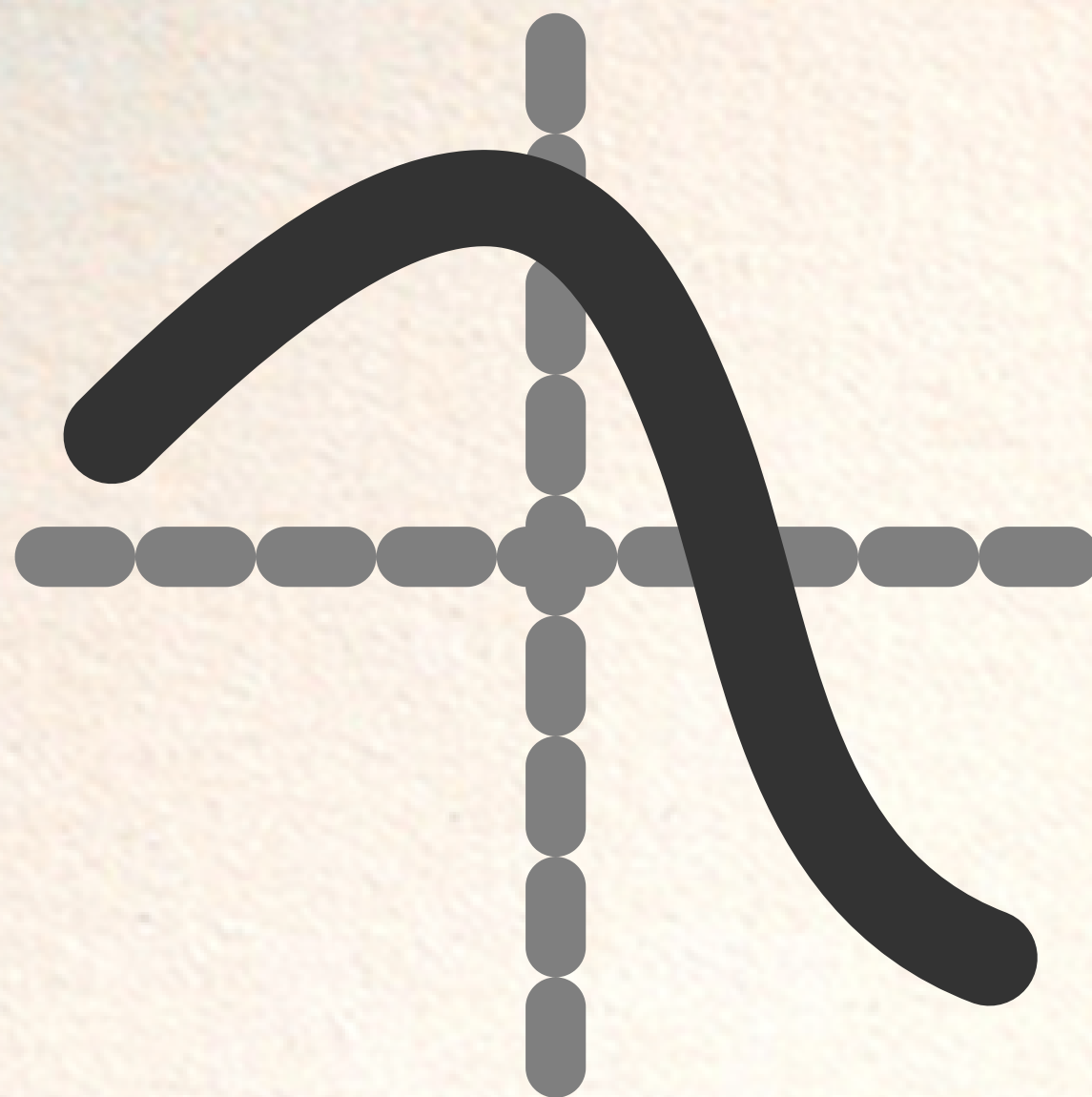
Group 5



Vedant Shah

Rahil Sabugola





$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

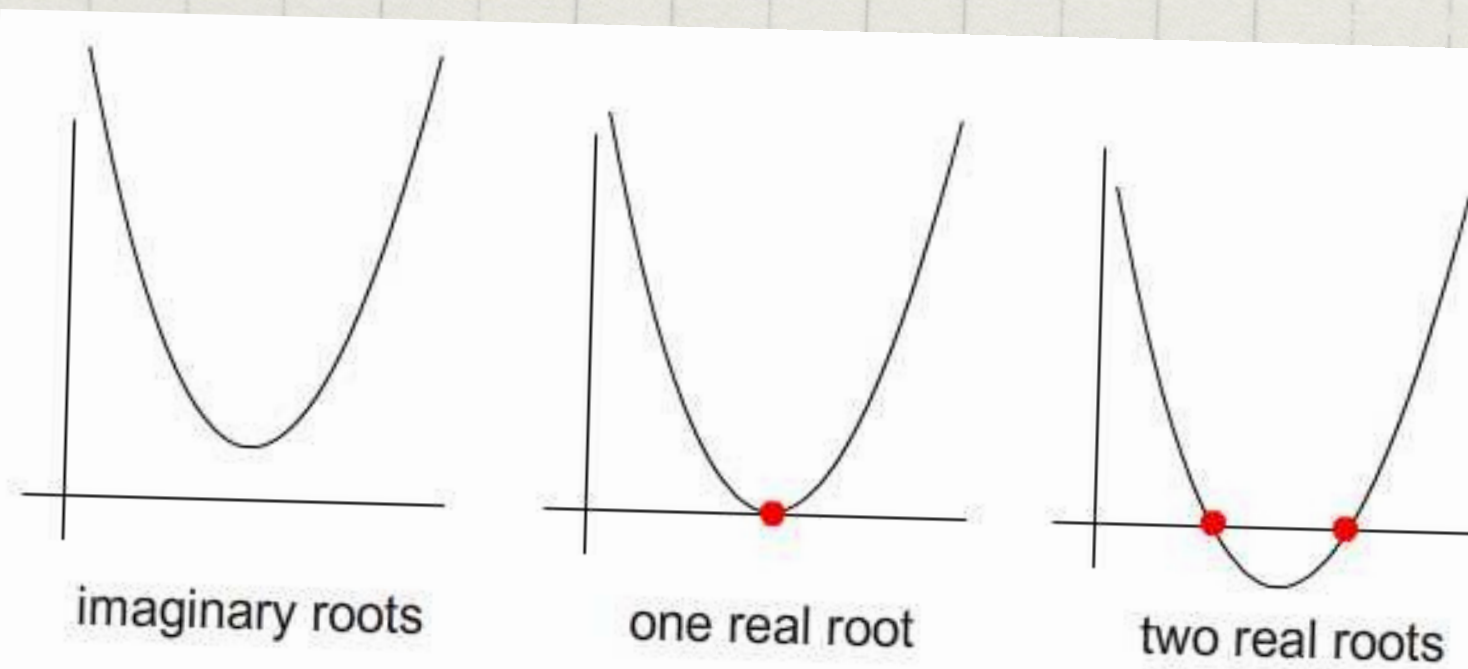
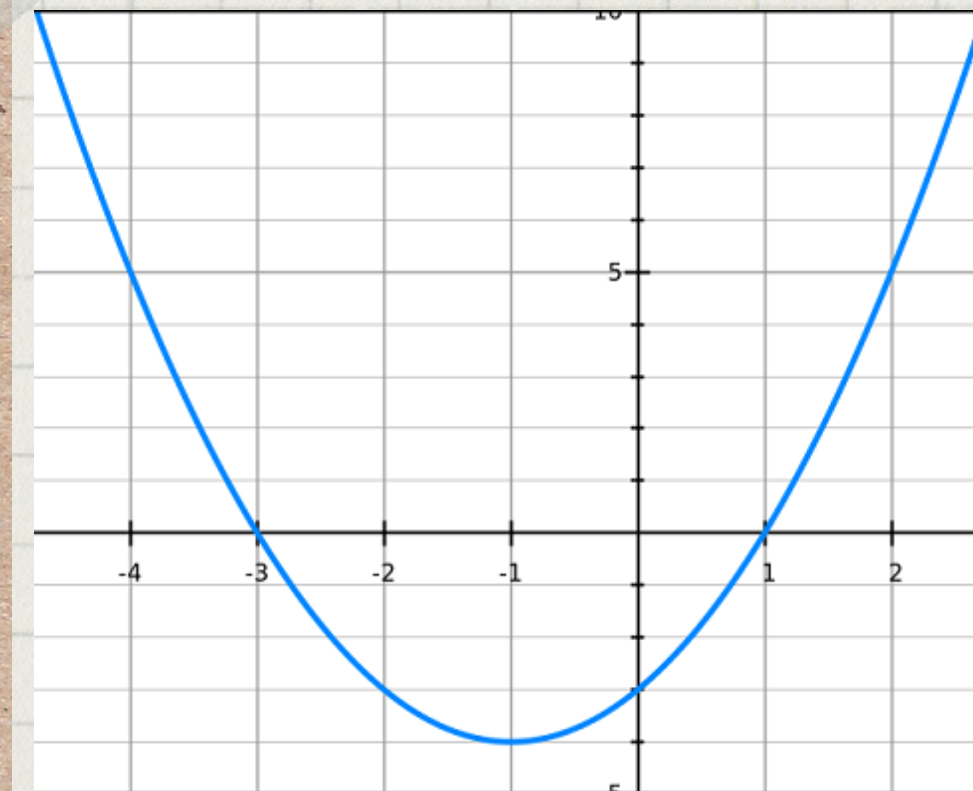
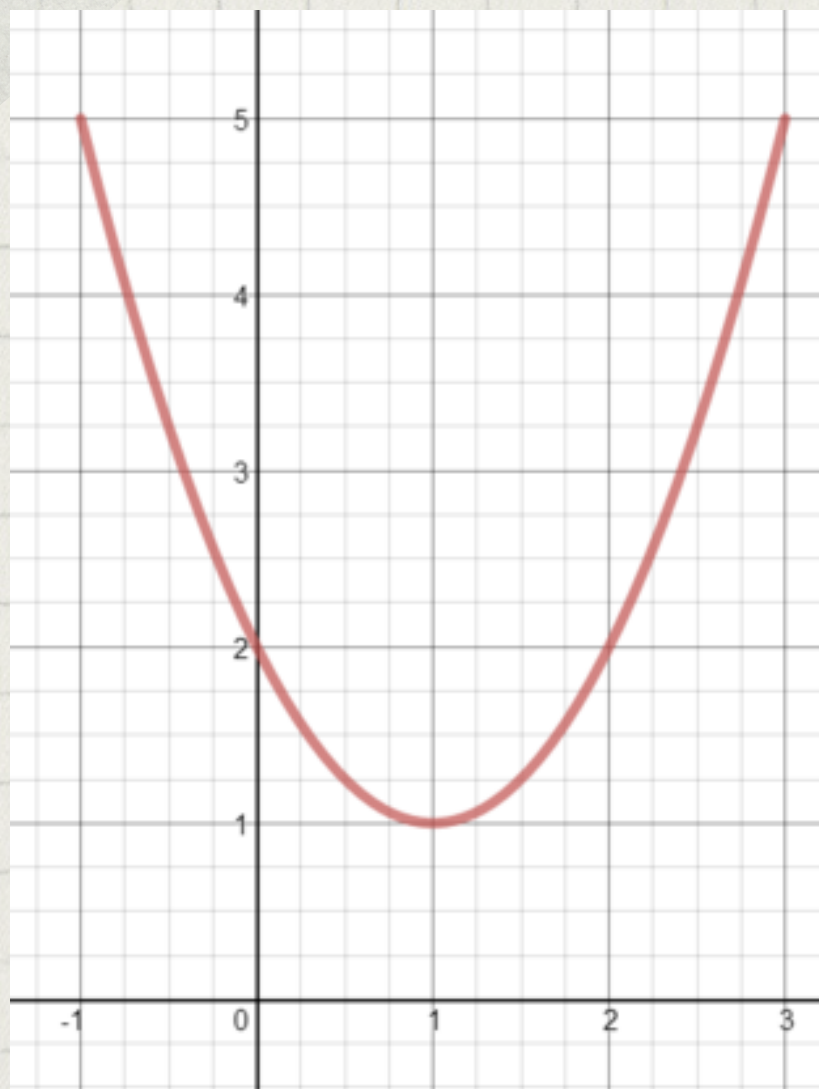
About Our model

Our code is a very basic yet useful one. it helps you get the roots of a quadratic equation in seconds!

all you have to do is put in the values of 'a' 'b' and 'c' and run the code and you have your answer displayed... our code can also solve equations with complex and imaginary roots

**Quadratic equation
solver**

THE 2 PARABOLAS ✨



THE DERIVATION

$$ax^2 + bx + c = 0$$

$$x^2 + \frac{b}{a}x + \frac{c}{a} = 0$$

$$x^2 + \frac{b}{a}x = -\frac{c}{a}$$

$$x^2 + \frac{b}{a}x + \left(\frac{b}{2a}\right)^2 = -\frac{c}{a} + \left(\frac{b}{2a}\right)^2$$

$$\left(x + \frac{b}{2a}\right)^2 = -\frac{c}{a} + \left(\frac{b}{2a}\right)^2$$

$$\left(x + \frac{b}{2a}\right)^2 = -\frac{c}{a} \cdot \frac{4a}{4a} + \left(\frac{b^2}{4a^2}\right)$$

$$\left(x + \frac{b}{2a}\right)^2 = \left(\frac{b^2 - 4ac}{4a^2}\right)$$

$$\sqrt{\left(x + \frac{b}{2a}\right)^2} = \sqrt{\left(\frac{b^2 - 4ac}{4a^2}\right)}$$

$$x + \frac{b}{2a} = \frac{\pm\sqrt{b^2 - 4ac}}{2a}$$

$$x + \frac{b}{2a} - \frac{b}{2a} = \frac{\pm\sqrt{b^2 - 4ac}}{2a} - \frac{b}{2a}$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

General Form of a quadratic equation

Divide by a

Subtract $\frac{c}{a}$ from both sides

Complete the square

Factor on left

Find LCD on right

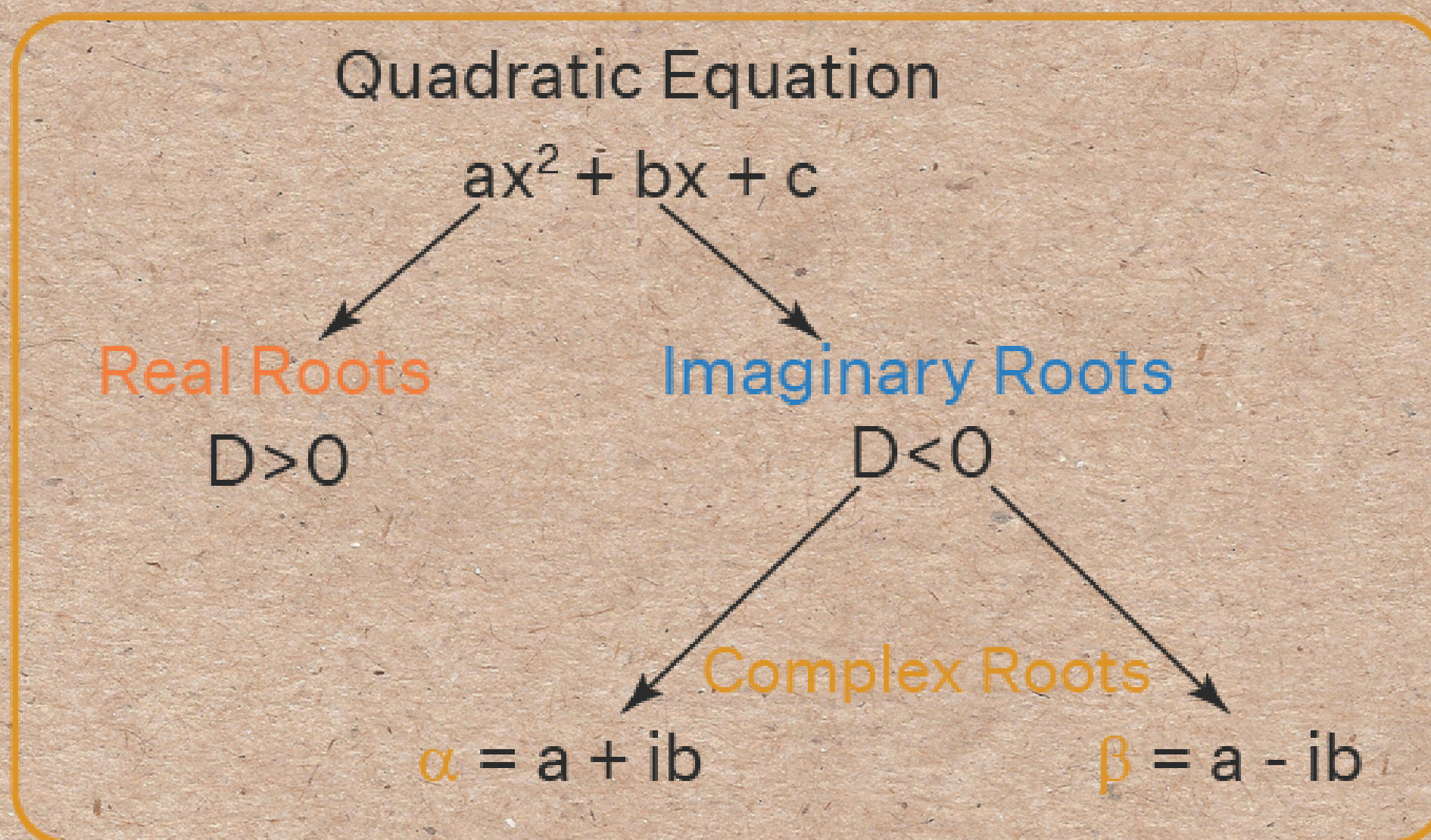
Simplify

Take square root of both sides

Simplify

Subtract $-\frac{b}{2a}$ from both sides

THE IMAGINARY ROOTS



$$ax^2 + bx + c = 0, a, b, c \in \mathbb{R}, a \neq 0$$

$$\alpha, \beta = \frac{-b \pm \sqrt{D}}{2a}, D = b^2 - 4ac$$

$$D < 0$$

Imaginary roots

$$p + iq$$

$$p - iq$$

$$i = \sqrt{-1}$$

$$D = 0$$

$$\alpha, \beta = \frac{-b}{2a}$$

Rational and equal roots

$$D > 0$$

D is perfect square

Rational, unequal roots

D is not perfect square

Irrational, conjugate pairs

$$p \pm \sqrt{q}$$